

NAME -

ROLL N -

TEST N. -

SUBJECT - Full syllabus
paper - I)

total marks=251

good in theory and presentation and in numerical

Q-1 (a) Steady, 2D flow

$$u = 1.85 + 2.33x + 0.656y$$

$$v = 0.754 - 2.18x - 2.33y$$

Vorticity $\Omega = \text{curl of } \vec{V}$

$$\Omega = \left(\frac{\partial v}{\partial x} - \frac{\partial u}{\partial y} \right)$$

$$\frac{\partial v}{\partial x} = -2.18, \quad \frac{\partial u}{\partial y} = 0.656$$

$$\text{Vorticity } \Omega = \frac{\partial v}{\partial x} - \frac{\partial u}{\partial y}$$

$$= -2.18 - 0.656$$

$$= \frac{2.836}{\text{Am}}$$

$$\begin{aligned} \text{rate of volumetric dilatation} &= \epsilon_{xx} + \epsilon_{yy} + \epsilon_{zz} \\ &= \frac{\partial u}{\partial x} + \frac{\partial v}{\partial y} + \frac{\partial w}{\partial z} \end{aligned}$$

$$= 2.33 + (-2.33) + 0 = 0$$

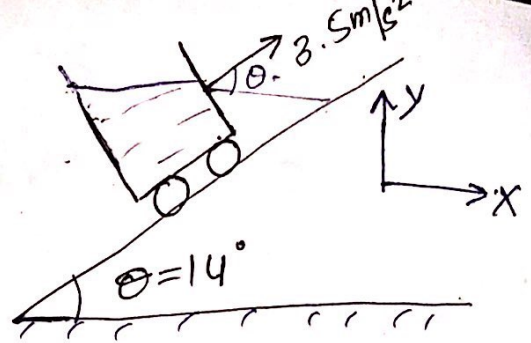
$$\text{Shear strain} = \epsilon_{xy} = \frac{\partial v}{\partial x} + \frac{\partial u}{\partial y}$$

$$= -2.18 + 0.656$$

$$= -1.524$$

Since $\frac{\partial u}{\partial x} + \frac{\partial v}{\partial y} + \frac{\partial w}{\partial z} = 0$ [FLOW IS INCOMPRESSIBLE]

$$\tan \alpha_1 = \left(\frac{a_x}{a_y + g} \right)$$



$$\tan \alpha_1 = \left(\frac{3.5 \cos \theta}{3.5 \sin \theta + g} \right)$$

$$\alpha_1 = \tan^{-1} \left[\frac{3.5 \cos 14}{3.5 \sin 14 + 9.81} \right]$$

$$\alpha = 17.675^\circ \quad \underline{\text{Ans}}$$

Card - II

10

$$\tan \alpha = \left(\frac{3.5 \cos \theta}{g - 3.5 \sin \theta} \right)$$

$$\alpha = 20.75^\circ$$

Q-1(b) sum of All heat Transfer for a cycle

$$= -170 \text{ kJ}$$

$$N = 100 \text{ cycle/min}$$

Process	Q (kJ/min)	W (kJ/min)	ΔE (kJ/min)
a-b	0	2170	-2170
b-c	21000	0	21000
c-d	-2100	34500	-36600
d-a	-35400	-53670	17770

good

Applying I law of Thermodynamics for process a-b.

$$Q_{a-b} = W_{a-b} + \Delta E_{a-b}$$

$$0 = W_{a-b} + \Delta E_{a-b}$$

$$0 = 2170 + \Delta E_{a-b} \Rightarrow \underline{\Delta E_{a-b} = -2170} \text{ KJ/min}$$

App I law of TD for b-c

$$Q_{b-c} = W_{b-c} + \Delta E_{b-c}$$

$$2100 = 0 + \Delta E_{b-c} \Rightarrow \underline{\Delta E_{b-c} = 2100} \text{ KJ/min}$$

App I law of TD for c-d

$$Q_{c-d} = W_{c-d} + \Delta E_{c-d}$$

$$-2100 = W_{c-d} + (-36600)$$

$$\underline{W_{c-d} = 34500} \text{ KJ/min}$$

Given

$$\sum Q = -170 \times 100 \text{ KJ/min}$$

$$Q_{a-b} + Q_{b-c} + Q_{c-d} + Q_{d-a} = -17000 \text{ KJ/min}$$

$$0 + 2100 - 2100 + Q_{d-a} = -17000$$

$$\underline{Q_{d-a} = -35900} \text{ KJ/min}$$

for cycle

$$\underline{\Delta E_{\text{cycle}} = 0}$$

$$\Delta E_{a-b} + \Delta E_{b-c} + \Delta E_{c-d} + \Delta E_{d-a} = 0$$

$$-2170 + 2100 - 36600 + \Delta E_{d-a} = 0$$

$$\underline{\Delta E_{d-a} = 17770} \text{ KJ/min}$$

Apply 1st law of TD for d-a

$$Q_{d-a} = W_{d-a} + \Delta E_{d-a}$$

$$-35900 = W_{d-a} + 17770$$

$$W_{d-a} = -53670$$

12 $P = W_{a-b} + W_{b-c} + W_{c-d} + W_{d-a}$
 $= 2170 + 0 + 34500 - 53670$
 $= -17000 \text{ KJ/min. } \checkmark$
 $= -203.33 \text{ KW [Work Input]} \checkmark$

Q-1 © Thermostatic expansion valve :- (TEV)

- Thermostatic expansion valve is used to control the degree of superheat in the evaporator \checkmark
- Controlling of degree of superheat is important & slightly superheated refrigerant is preferred to enter into the compressor. Thermostatic expansion valve ensures that no liquid refrigerant entry at compressor. \checkmark
- Liquid Refrigerant can flush of the lubricant & can damage the valves of compressor. \checkmark

Construction of TEV :-

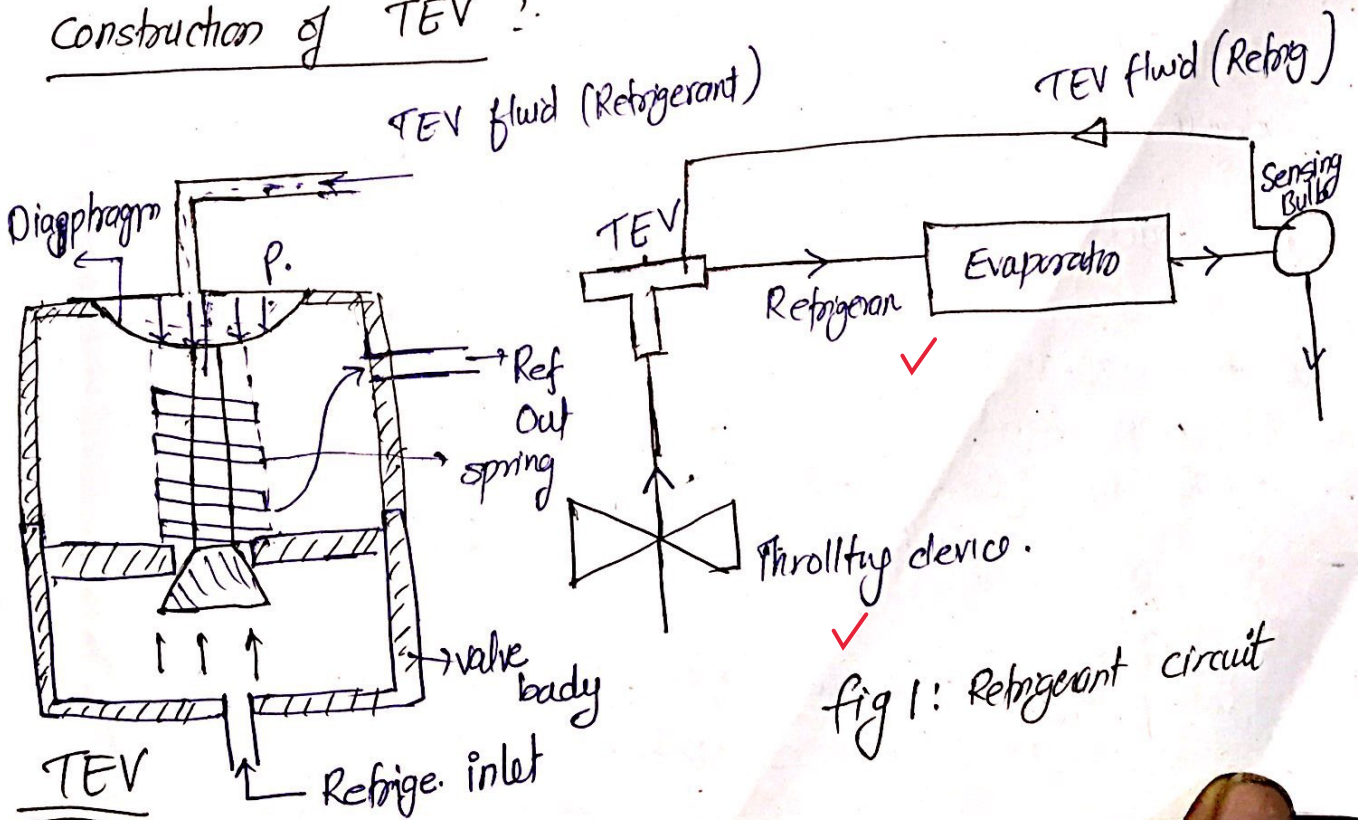


fig 1: Refrigerant circuit \checkmark

TEV consist of a secondary Refrigerant which apply Pressure at diaphragm. a spring is also there attached to the valve.

Sensing bulb is provided at the exit of evaporator & the thin piping for Refrigerant flow back to the TEV.

WORKING :

As Load increases

- As load increase, the degree of superheat increase at the evaporator side. due to increase of superheat, outlet Temp of evaporator increase.
- The secondary fluid (situated at sensing bulb) sense this increment in Temp. Heat Transfer increase @ sensing bulb. due to which boiling will occur of the TEV fluid.
- pressure is increase as a result of boiling of TEV fluid, the pressure is applied to the diaphragm.
- due to this the valve opening will take place, hence the Refrigerant flow rate increase. & consequently the degree of superheat decrease.

As Load Falls (decrease) :-

- As the load decrease, the degree of superheat decrease at the evaporator side hence outlet Temp decrease.
- At sensing bulb less boiling of TEV fluid is there.
- due to this, low pressure at the TEV Refrigerant
- this low pressure (Reduction in pressure) lead to partial closing of valve
- Consequently Refrigerant flow decrease & again degree of superheat become constant.

Q-1 (a) Grashof Number :-

Grashof's number is a dimensionless Number which is used to study the Natural convection heat Transfer.

$$Gr = \frac{g \beta \Delta T L_c^3}{\nu^2} \checkmark$$

$$\beta = \frac{2}{T_1 + T_2}$$

L_c - char. length
 ν - kinem. viscosity

Grashof's number is the Ratio of Buoyancy force to the viscous force. Grashof's number compares that which effect is dominating among the Buoyant force and the viscous force in the natural convection.

~~It also indicate that~~

Comparison of Grashof number to Reynolds No \checkmark

$$Re. No = \frac{\text{inertia force}}{\text{viscous force} \checkmark} = \frac{\rho V L}{\mu}$$

$$Gr = \frac{\text{Buoyancy force}}{\text{viscous force}} = \checkmark \frac{g \beta \Delta T L_c^3}{\nu^2}$$

- Reynolds number is Generally used in the forced convection heat Transfer where as the Grashof number is used for the natural convection heat transfer
- ~~Higher~~ Reynolds number is Generally deal with the incompressible fluid in heat Transfer phenomenon where as in Natural convection density difference is main cause of the bulk motion of the flow \checkmark
- Inertia force in Reynolds number is related to the pre given velocities where as the buoyancy force in Grashof No is due to the Temperature gradient caused density difference. give relation $(gr/re^2) > 1, < 1$

Q-1 (e)

① Spark Timing - (Retard)

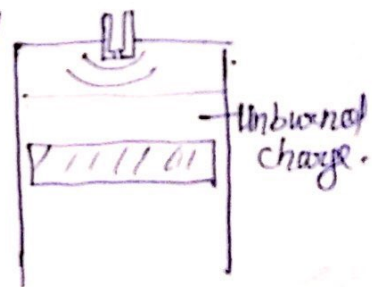
To avoid the knocking tendency in the SI Engine the spark timing should be retarded because. due to this maximum pressure in the cycle is reduced as a result max^m Temp also reduce and there will be less chance of pre ignition (knocking) take place. and hence to avoid the knocking in the SI Engine spark retardation is done.

② Engine speed: (increase)

as engine speed increases, the turbulence inside the cylinder increases, as a result the heat transfer is also increase [due to the fact that convective heat transfer coeff is high for high turbulence (turbulent flow)]. due to the increment in heat transfer, the hotspot temperature reduces and hence there will be less possibility to ignition of charge from that hotspot and hence the chance of the knocking will decrease in the SI Engine.

③ Distance of flame Travel: - (Low)

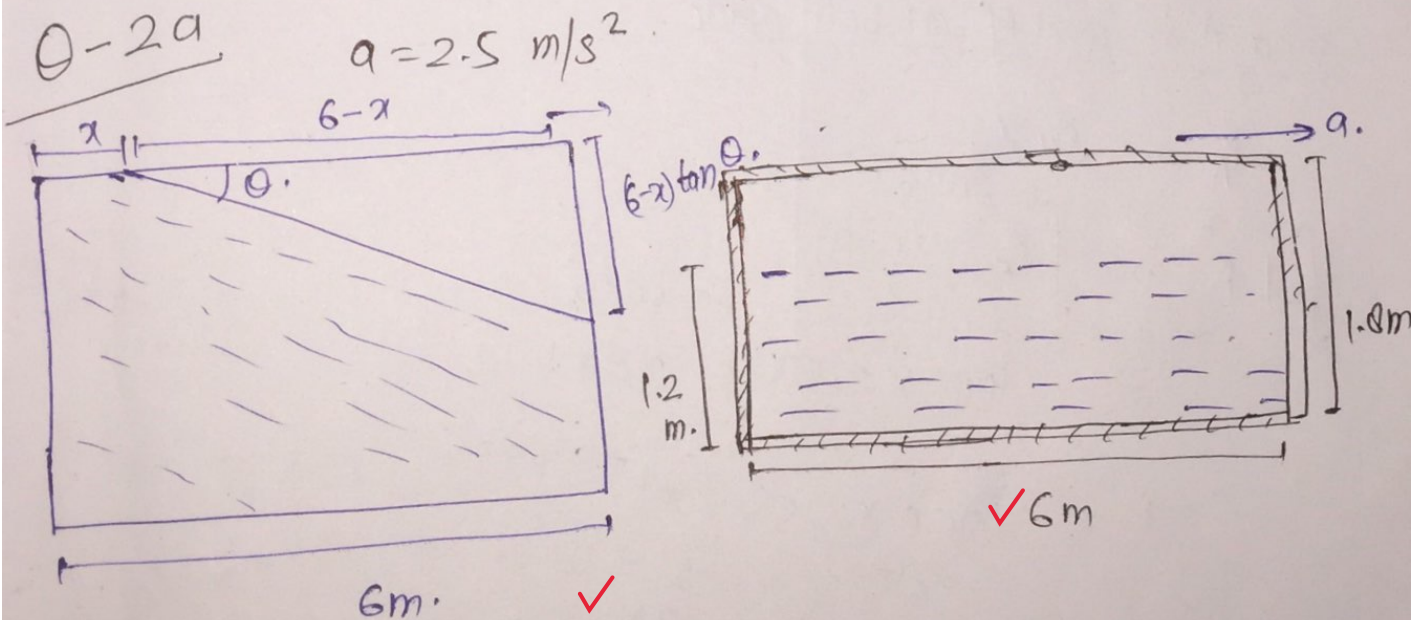
As the first flame front is generated there will be the expansion of burnt charge due to which this end charge will compress and rise its temperature. Secondly, the heat transfer will also be taking place to the



End charge, due to these Reason the Temperature of end charge is increase. if the Distance of flame Travel is high & the end charge will have sufficient time to ignite itself and hence another flame front is Generated which leads to knocking, so to avoid knocking Distance of flame Travel should be less.

(iv) Mixture inlet Temperature :- (Low)

Mixture inlet temperature should kept Low. because if it is high the end charge & hot spot Temp will also high. which leads to the pre ignition of the charge and hence this cause the knocking in the SI Engine so to avoid it, it is preferred in SI Engine to enter low Temp mixture in the Cylinder of Engine.



$$\tan \theta = \frac{a}{g} = \frac{2.5}{9.81}$$

$$\theta = 14.297^\circ$$

Applying mom conservation

initial empty Tank volume = final empty tank Vol^m

$$0.6 \times 6 = \frac{1}{2} \times (6-x) (6-x) \tan 14.297$$

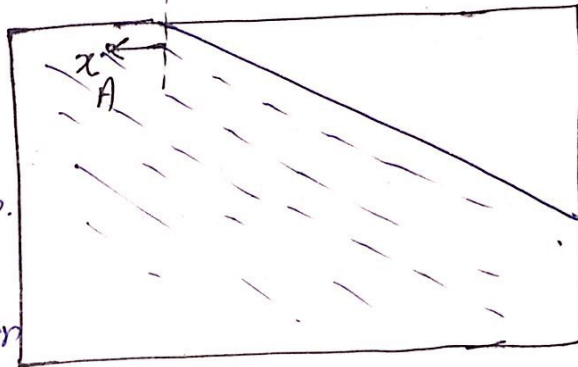
$$7.2 = (6-x)^2 \tan 14.297$$

$$x = 0.6046 \text{ m}$$

Calculation of Total Pressure force
@ upper wall

$$\text{Let } P_A = \rho a x + P_{atm}$$

P_{atm} effect is not taken since it is working on both side.



$$P_A = \rho a x$$

$$\int dF = \int_0^{0.6046} P_A \cdot dx \cdot w$$

$$= 1000 \times 2.5 \times 1 \int_0^{0.6046} x dx$$

$$F = 1000 \times 2.5 \left[\frac{x^2}{2} \right]_0^{0.6046}$$

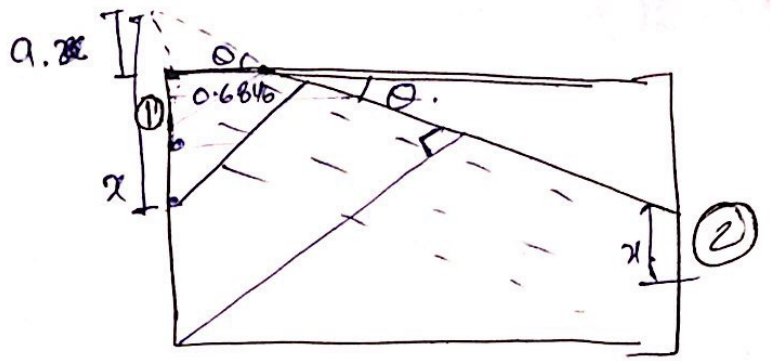
$$F = \frac{585.84 \text{ N}}{\text{m}}$$

×

Pressure at side 1.

$$\tan \theta = \frac{a}{0.6846}$$

$$a = \underline{0.17446 \text{ m}}$$



7

$$P_x = \int \rho g x.$$

$$dF = \int \rho g x \cdot dx \cdot w = 9810 \times 1 \int_{0.6846}^{2.4846} x \, dx.$$
$$= \underline{27.98 \text{ kN}}$$

Pressure force at front & back surface.

check solution

Pressure force at surface 2.

$$dF = \int \rho g x \cdot w \cdot dx.$$
$$= 9810 \times 1 \left[\frac{x^2}{2} \right]_0^{1.3545}$$
$$= \underline{9 \text{ kN}}$$

Q-2 (b) Given. Cross flow H.E.

No of Tubes $n = 30,000$ ✓

No of passes $p = 2$

$D = 25 \text{ mm}$

Steam cond. outer. $h_o = 11000 \text{ W/m}^2\text{K}$.

H.T rate $Q = 2 \times 10^9 \text{ W}$

$m_c = 3 \times 10^4 \text{ kg/s}$ ✓

flow rate / tube = 1 kg/s

~~T_{ci}~~ $T_{ci} = 20^\circ\text{C}$

$T_{\text{sat}} = 50^\circ\text{C}$ ✓

for 1 Tube

$m = 1 \text{ kg/s} = \rho a.v.$

~~$1 = \frac{\rho \pi D^2 v}{4}$~~ ✓

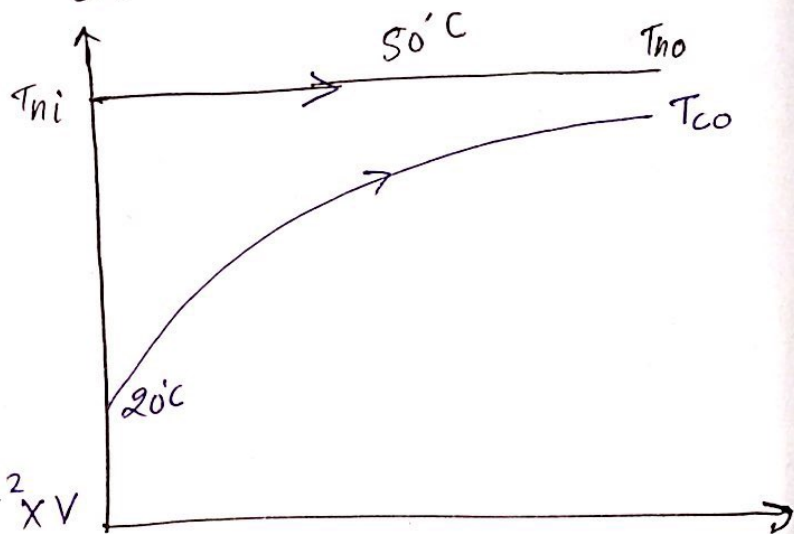
$1 = \frac{997 \times \pi \times 0.025^2 \times v}{4}$

$v = 2.0433 \text{ m/s}$ ✓

Reynolds no for pipe

$Re = \frac{\rho v D}{\mu} = \frac{997 \times 2.0433 \times 0.025}{0.55 \times 10^{-6}}$

$= 59566.377$ (Turbulent flow)



$$Nu = 0.023 Re^{0.8} Pr^{0.4} \quad [\text{for water heating}]$$

$$= 0.023 \times (59566.377)^{0.8} \times (5.03)^{0.4}$$

$$Nu = 307.607$$

$$\frac{h \times 0.025}{0.613} = 307.607$$

$$h_i = 7542.523 \text{ W/m}^2\text{K}$$

Total heat transfer coeff. (Convective)

$$\frac{1}{U} = \frac{1}{11000} + \frac{1}{7542.523}$$

$$U = 4474.4586 \text{ W/m}^2\text{K}$$

Applying energy balance

Heat supplied to cold water = heat transfer.

$$m_c c_p \Delta T_w = q$$

$$3 \times 10^4 \times 4179 \times [T_{co} - 20] = 2 \times 10^9$$

$$T_{co} = 35.9527^\circ \text{ Am}$$

effectiveness

$$E = \frac{35.9527 - 20}{50 - 20} = 0.532$$

$E \rightarrow$ corresponding NTU = 0.759

$$0.759 = \frac{U \cdot A}{C_{min}} = \frac{4474.4586 \times A}{4179 \times 1}$$

$$A = 0.93396 \quad [\text{for 1 Tube}]$$

$$\pi \times D \times L \times 2 = 0.93396$$

$$\pi \times 0.025 \times L \times 2 = 0.93396$$

$$L = 5.945 \text{ m} \quad \underline{\underline{\text{Ans}}}$$

Q-2(c)

Engine-1

$$V_s = 3300 \text{ cc}, \quad \checkmark$$

$$P_{b,mef} = 9.3 \text{ bar}$$

$$N = 4500 \text{ rpm}$$

$$r = 8.2 \quad \checkmark$$

$$\text{eff. Ratio} = 0.5$$

$$\eta_{\text{Mech}} = 0.9 \quad \checkmark$$

$$\text{Mom of Engine } M = 200 \text{ kg} \quad \checkmark$$

Engine-2

$$V_s = 3300 \text{ cc},$$

$$P_{b,mef} = 12 \text{ bar}.$$

$$N = 4500 \text{ rpm}.$$

$$r = 5.5 \quad \checkmark$$

$$\text{eff. Ratio} = 0.5$$

$$\eta_{\text{Mech}} = 0.92$$

$$\text{engine mom } M = \cancel{200} 220 \text{ kg}$$

Solⁿ

$$\frac{M_I + m_{f_I} t}{BP_I} = \checkmark \frac{M_{II} + m_{f_{II}} t}{BP_{II}} \quad \text{--- (1)}$$

$$BP_I = P_{b,mef} \cdot V_s \cdot \frac{NK}{120} = 9.3 \times 3300 \times 10^{-6} \times \frac{4500}{120}$$
$$= \underline{115.0875 \text{ kW}}$$

$$BP_{II} = P_{b, \text{mech}} \cdot \frac{V_s N K}{120} = 1200 \times 3300 \times 10^{-6} \times \frac{4500}{120}$$

$$= \underline{148.2 \text{ kW}}$$

Cycle eff. for Engine I:

$$\eta_I = 1 - \frac{1}{8.2^{0.4}} = \underline{56.9\%}$$

$$\text{eff ratio} = \frac{\eta_{i, \text{th. (Indic. thermal)}}}{\eta_{\text{cycle}}}$$

$$0.5 = \frac{\eta_{i, \text{th}}}{0.569}$$

$$\eta_{i, \text{th}} = 0.2845\%$$

$$\eta_{b, \text{th}} = \eta_{i, \text{th}} \cdot \eta_{\text{Mech}} = 0.2845 \times$$

$$\eta_{b, \text{th}} = 0.25605 = \frac{\text{B.P}}{\text{mf} \cdot \text{CV}}$$

$$0.25605 = \frac{115.0875}{\text{mf} \cdot 44000} \quad \text{mf}_I = \underline{0.01021 \text{ kg/s}}$$

for Engine-2.

$$\eta_{II} = 1 - \frac{1}{5.5^{0.4}} = 0.4943$$

$$\eta_{i, \text{th}} = 0.4943 \times \text{eff ratio} = 0.2472$$

$$\eta_{b, \text{th}} = 0.2472 \times \eta_{\text{Mech}} = \frac{0.22739}{\text{mf}_{II} \cdot \text{CV}} = \frac{BP_{II}}{\text{mf}_{II} \cdot \text{CV}}$$

$$0.22739 = \frac{148.2}{\text{mf}_{II} \times 44000} \Rightarrow \underline{\text{mf}_{II} = 0.01481 \text{ kg/s}}$$

Now eq (1)

$$\frac{200 + 0.01021 \times t}{115.0875} = \frac{220 + 0.01481 \times t}{148.2}$$

$$t = 22503.43 \text{ sec} = \underline{6.273 \text{ hours}}$$

$$bsfc_I = \frac{\cancel{115.0875}}{\cancel{115.0875}} \frac{0.01021 \times 3600}{115.0875}$$

20

good = 0.31937 kg/kwh ✓

$$bsfc_{II} = \frac{0.01481}{148.2} \times 3600 = 0.3597 \frac{kg}{kwh}$$

- * Economically engine I has less bsfc hence it is ~~having~~ more fuel economic. ✓
- * Engine two is used for high power application. ✓

Q- 3(a)

(i) Radiation Effect on Temperature Measurement device

T_w → wall Temp.

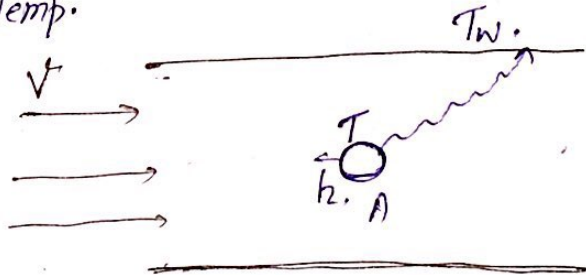
h → conv. H.T of Thermocouple

T → thermocouple Temp.

T_g - inlet gas Temp

v → Gas velocity ✓

→ As the high Temp T_g gases flow through the duct the Temp



of thermocouple start increasing. ✓

→ ~~but~~ the Temp increase due to the convection heat transfer b/w the Gas and thermocouple

→ at steady state the Temp of thermocouple become constant but always lower than that of the gas Temperature. ✓

→ Because the thermocouple simultaneously loses the heat to wall, through Radiation, this Radiated energy gained by the thermocouple by the convection heat Transfer Coeff. ✓

read from solution also

→ Due to this, there will always be an error in estimation of the Gas Temperature.

at the steady state condition

heat gain through convection = Radiated heat to wall

$$h \cdot A [T_g - T] = \sigma \epsilon A [T^4 - T_w^4]$$

The error in measurement of Gas Temp.

$$\text{error} = (T_g - T)$$

To reduce error

- increase in convective heat Transfer.
- Reduce radiating effect by reducing emissivity.

(ii)

$$T_w = 500 \text{ K}$$

$$T = 850 \text{ K}$$

$$\epsilon = 0.6$$

$$h = 60 \text{ W/m}^2\text{K}$$

for actual Temp.

Applying energy balance

$$hA [T_g - T] = \sigma \epsilon A [T^4 - T_w^4]$$

$$60 [T_g - 850] = 5.67 \times 10^{-8} \times 0.6 [850^4 - 500^4]$$

$$60 [T_g - 850] = 15632.4$$

$$T_g - 850 = 260.54$$

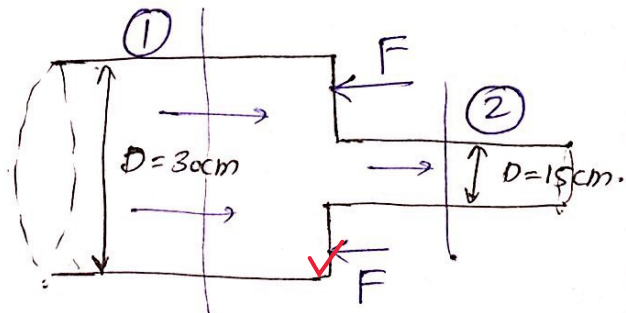
$$\underline{T_g = 1110.54 \text{ K}}$$

3 (b) (i)

For 30cm dia pipe

$$\beta_1 = 1.3 \quad \checkmark$$

$$\alpha_1 = 1.9$$



for 15cm dia pipe

$$\beta_2 = 1.05 \quad \checkmark$$

$$\alpha_2 = 1.15$$

$$P_2 = 15 \text{ kPa}$$

$$V_2 = 6 \text{ m/s [mean]} \quad \checkmark$$

mean velocity @ pipe 1

$$A_1 V_1 = A_2 V_2$$

$$\frac{\pi}{4} \times 30^2 \times V_1 = \frac{\pi}{4} \times 15^2 \times 6$$

$$\underline{V_1 = 1.5 \text{ m/s}}$$

Applying B.Eⁿ @ ① & ②

$$\frac{P_1}{\rho g} + \alpha_1 \frac{V_1^2}{2g} + z_1 = \frac{P_2}{\rho g} + \alpha_2 \frac{V_2^2}{2g} + z_2$$

$$\frac{P_1}{\rho g} + 1.9 \times \frac{1.5^2}{2 \times 9.81} + 0 = \frac{15 \times 10^3}{\rho g} + 1.15 \times \frac{6^2}{2 \times 9.81}$$

$$\underline{P_1 = 33.5625 \text{ kPa}}$$

~~Applying~~ Applying Momentum eqⁿ

$$P_1 A_1 - F - P_2 A_2 = m V_2 \beta_2 - m V_1 \beta_1$$

$$33.5625 \times 10^3 \times \frac{\pi}{4} \times 0.3^2 - F - 15 \times 10^3 \times \frac{\pi}{4} \times 0.15^2$$

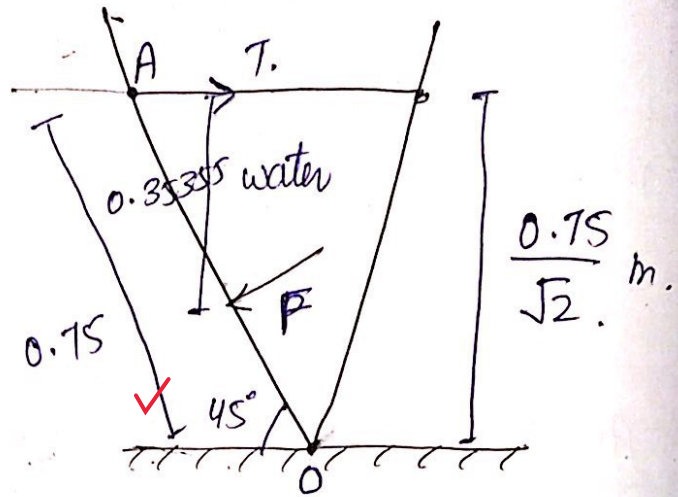
$$= 1000 \times \frac{\pi}{4} \times 0.3^2 \times 1.5 [6 \times 1.05 - 1.5 \times 1.3]$$

$$2107.321 - F = 461.225$$

$$\underline{F = 1646.096 \text{ N}}$$

3b (ii)

Force acting on the
Trough



$$F = w \cdot A \bar{x}$$

$$= 9810 \times 0.75 \times 6 \times \frac{0.75}{\sqrt{2} \times 2}$$

$$F = 11705.71 \text{ N}$$

$$h = \bar{x} + \frac{I_{G0} \sin^2 \theta}{A \bar{x}}$$

$$= \frac{0.75}{2\sqrt{2}} + \frac{0.75^3 \times 6 \times 2\sqrt{2} \sin^2(45)}{12 \times (0.75 \times 6) \times 0.75}$$

15 $h = 0.35355 \text{ m}$ from point A

$$\sum M_o = 0$$

good

$$T \times \frac{0.75}{\sqrt{2}} = F \times \left[\frac{0.75}{\sqrt{2}} - 0.35355 \right] \sqrt{2}$$

$$= 11.705 \left[\frac{0.75}{\sqrt{2}} - 0.35355 \right] \times 2$$

$$T = 5.517 \text{ kN}$$

Q-3(c)

GIVEN.

$$\gamma_p = 5$$

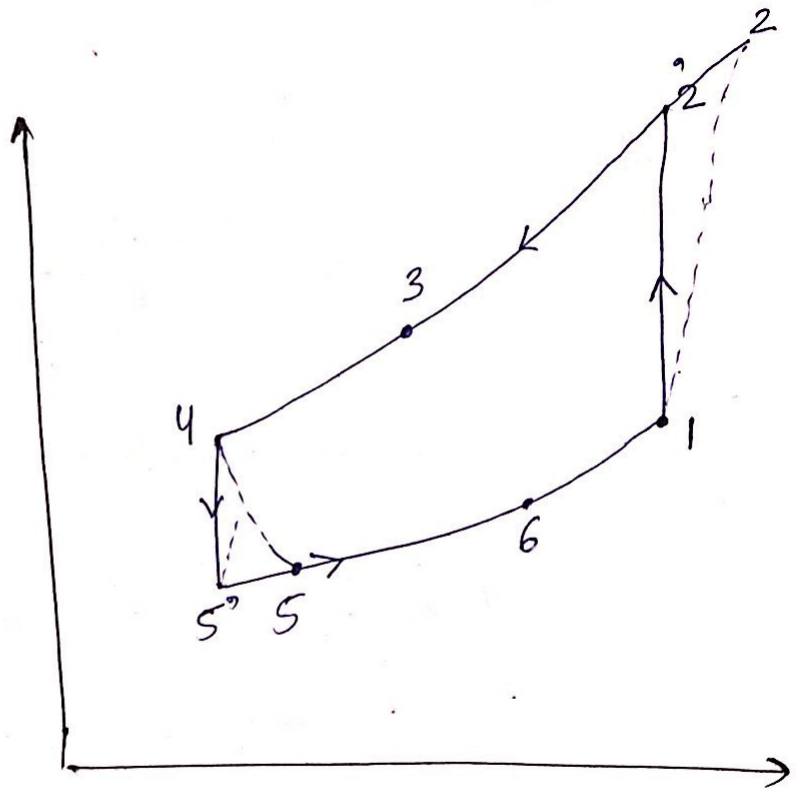
$$T_1 = 0^\circ\text{C} = 273\text{K}$$

$$P_1 = 100\text{kPa}$$

$$T_5 = -80^\circ\text{C} = 193\text{K}$$

$$T_3 = 35^\circ\text{C} = 308\text{K}$$

$$m = 0.4\text{kg/s}$$



$$\eta_c = 0.80, \quad \eta_T = 0.85$$

$$\frac{T_2'}{T_2} = \gamma_p^{\frac{\gamma-1}{\gamma}} \Rightarrow T_2' = 273 \times 5^{0.4/1.4} = 432.302\text{K}$$

$$\frac{T_2' - T_1}{T_2 - T_1} = 0.8, \quad \frac{432.302 - 273}{T - 273} = 0.8$$

$$T_2 = 472.227\text{K}$$

$$\eta_T = \frac{T_4 - T_5}{T_4 - T_5'} \Rightarrow 0.85 = \frac{T_4 - 193}{T_4 - T_5'}$$

$$0.85T_4 - 0.85T_5' = T_4 - 193$$

$$0.15T_4 + 0.85T_5' = 193 \quad \text{--- (1)}$$

$$\frac{T_4}{T_5'} = 5^{0.4/1.4} = 1.5038 \quad \text{--- (2)}$$

by solving $T_4 = 281.06 \text{ K}$ ✓

effectiveness of Regener.

$$\epsilon = \frac{T_3 - T_4}{T_3 - T_6} \quad \text{--- (2)}$$

Applying energy balance @ Regenerator.

$$m c_p [T_3 - T_4] = m c_p [T_1 - T_6]$$

$$308 - 281.06 = 273 - T_6$$

$$T_6 = 246.06 \text{ K} \quad \checkmark$$

putting in eqⁿ (2)

$$\epsilon = \frac{308 - 281.06}{308 - 246.06} = 0.4349 \quad \checkmark$$

(ii) Rate of heat removal

$$= m [h_6 - h_5] \quad \checkmark$$

$$= 0.4 [c_p T_6 - c_p T_5]$$

$$= 0.4 \times 1.005 [246.06 - 193] \quad \checkmark$$

$$= 21.38 \text{ kW}$$

15

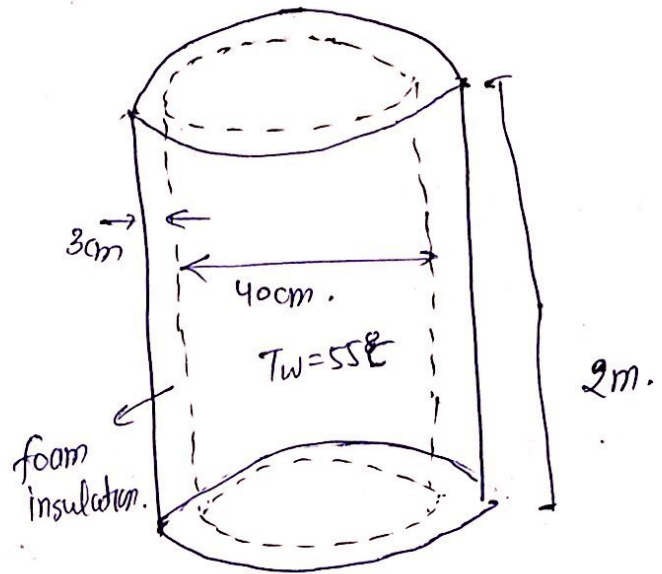
$$\text{COP} = \frac{\text{R.E}}{\text{W.I.P}} = \frac{h_6 - h_5}{(h_2 - h_1) - (h_4 - h_5)} = \frac{T_6 - T_5}{(T_2 - T_1) - (T_4 - T_5)}$$

$$= \frac{(246.06 - 193)}{(472.227 - 273) - (281.06 - 193)} = 0.4773 \text{ Am} \quad \checkmark$$

Q 3(d)

Assumption.

- Steady state operation
- heat Transfer Through ends are neglected.



Heat Transfer circuit

$T_o = 27^\circ\text{C}$



$$\frac{1}{h_o A_o} \quad \frac{\ln(r_2/r_1)}{2\pi K L} \quad \frac{1}{h_i A_i}$$

$$\frac{1}{(hA)_{net}} = \frac{1}{h_o A_o} + \frac{\ln(r_2/r_1)}{2\pi K L} + \frac{1}{h_i A_i}$$

$$= \frac{1}{12 \times \pi \times 0.46 \times 2} + \frac{\ln(23/20)}{2\pi \times 0.03 \times 2} + \frac{1}{50 \times \pi \times 0.4 \times 2}$$

$$(hA)_{net} = 2.4538 \text{ W/m}^2\text{k}$$

$$Q = (hA)_{net} \Delta T = 2.4538 \times 28 = 68.7064 \text{ W}$$

$$= 0.0687064 \text{ kW}$$

$$Q = \cancel{24 \times 365 \text{ kWh}}$$

$$\text{energy lost / year} = 0.0687064 \times 24 \times 365 \text{ kWh} = 601.868 \text{ kWh/year}$$

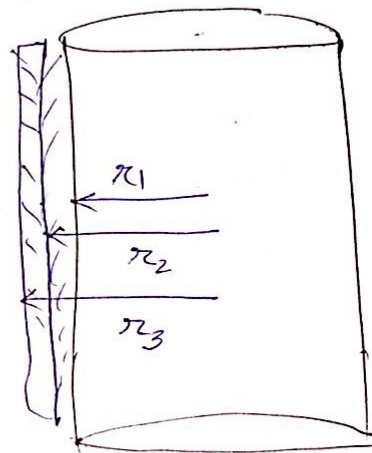
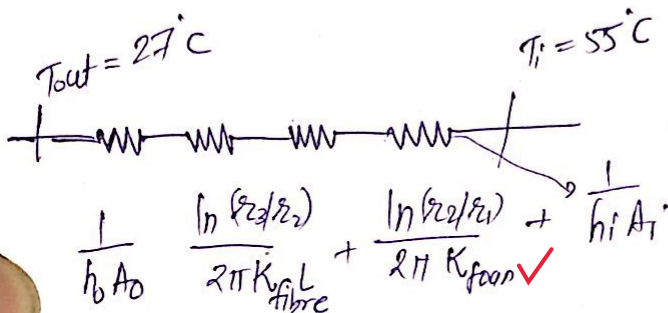
$$\text{Cost of lost energy} = 601.868 \times 0.08$$

$$= 48.15 \text{ } \checkmark \text{ } \$, \text{ year}$$

fraction of hot water energy of the household that is due to heat loss = $\frac{48.15}{280} = 17.196\%$

$$= 0.17196 \checkmark$$

Case-II



$$\frac{1}{(hA)_{net}} = \frac{1}{12 \times \pi \times 0.52 \times 2} + \frac{\ln 57/46}{2\pi \times 0.035 \times 2} + \frac{\ln(46/40)}{2\pi \times 0.03 \times 2} + \frac{1}{50 \times \pi \times 0.492}$$

$$= 1.4642$$

Heat lost $Q = (hA)_{net} \Delta T$

$$= 1.4642 \times (28) \approx 41 \text{ W}$$

energy saved = $68.7064 - 41$

$$= 27.7064 \text{ W check solution}$$

$$= 0.0277 \text{ kWhr}$$

10

~~find~~ $[0.0277 \times T] \times 0.08 = 30$

$$T = 13537.9 \text{ hours}$$

5(a)

speed $N = 12500 \text{ rpm}$

$\dot{m} = 15 \text{ kg/s}$

Press. ratio $r = 4$

isen. eff $\eta_c = 75\%$

Slip factor $\mu = 0.9$

flow coeff of Impeller $\phi = 0.3$ ✓

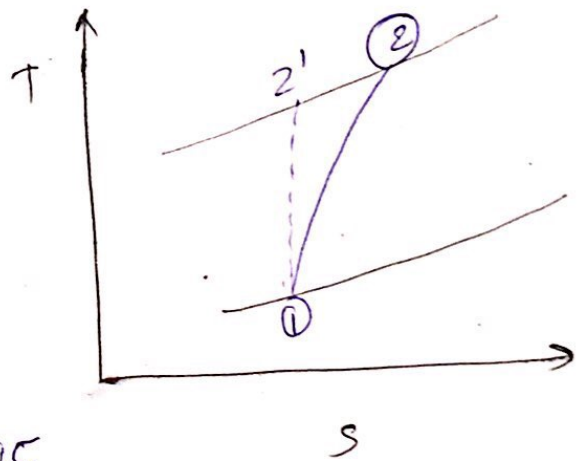
$D_1 = 0.15 \text{ m}$

~~V_{axial}~~ $V_{axial} = 150 \text{ m/s}$ ✓

$T_{01} = 295 \text{ K}$

$P_{01} = 1.0 \text{ bar}$

$T_{2,0}' = T_{1,0} r_p^{\frac{\gamma-1}{\gamma}}$
 $T_{2,0}' = 295 \times 4^{\frac{0.4}{1.4}}$
 $= 430.3683 \text{ K}$



$\frac{T_{2,0}' - T_{1,0}}{T_{2,0} - T_{1,0}} = 0.75$

$\frac{430.3683 - 295}{T_{2,0} - 295} = 0.75$

$T_{2,0} = 406.157 \text{ K}$

Work done / kg of air = $C_p [T_{2,0} - T_{1,0}]$
 $= 1.005 [406.157 - 295]$
 $= 192.112 \text{ kJ/kg}$ ✗

$$\omega D / kg = \mu \phi u^2$$

$$192.112 \times 10^3 = 0.3 \times 0.9 \times u^2$$

$$u = 843.52 \text{ m/s.}$$

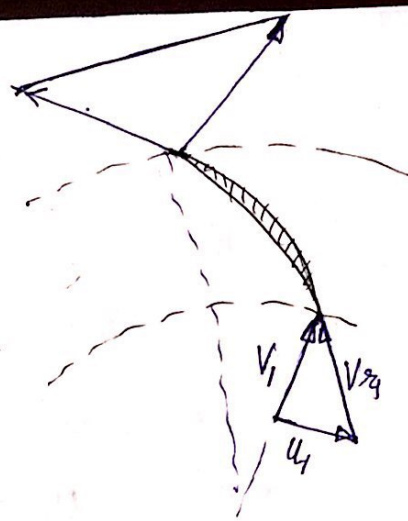
$$= \frac{\pi \times D \times 12500}{60} = 843.52$$

3

read from solution

$$D = 1.288 \text{ m} \quad \times$$

$$\omega D / s = 192.112 \times 15 = \frac{2.881 \text{ MW}}{\quad} \quad \times$$



5 (b)

$$\text{Head } H = 80 \text{ m}$$

$$N = 300 \text{ rpm.}$$

$$P = 125 \text{ kW}$$

$$\eta_0 = 85\% \quad \checkmark$$

$$k_u = 0.45 = \frac{u}{\sqrt{2gH.}}$$

$$C_v = 0.90 \quad \checkmark$$

$$\eta_0 = \frac{P \text{ (shaft Power)}}{\rho g H Q} \quad \checkmark$$

$$0.85 = \frac{125 \times 10^3}{9810 \times 80 \times Q} \quad \checkmark$$

$$Q = 0.18730 \text{ m}^3/\text{s}$$

$$K_u = \frac{u}{\sqrt{2gH}} \Rightarrow 0.45 = \frac{u}{\sqrt{2 \times 9.81 \times 80}}$$

$$u = 17.028 \text{ m/s}$$

$$17.028 = \frac{\pi D N}{60}$$

$$D = \frac{17.028 \times 60}{\pi \times 300}$$

$$D = 1.135 \text{ m}$$

$$Q = \frac{\pi}{4} d^2 \times V$$

$$0.18730 = \frac{\pi}{4} d^2 \times 0.90 \sqrt{2 \times 9.81 \times 80}$$

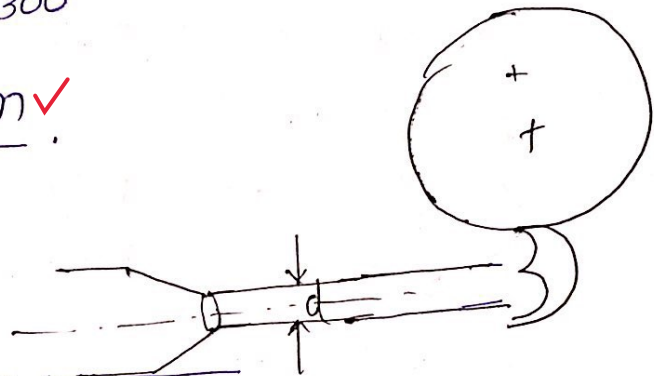
$$d = 0.070389 \text{ m}$$

$$\text{Jet Ratio} = \frac{D}{d} = \frac{1.135}{0.070389} = 14.48$$

$$\text{No of Vanes} = \frac{m}{2} + 15 = \frac{14.48}{2} + 15 = 22.239$$

even no of ^{Buckets} blades are provided for balancing. = 24 Vanes

$$\text{width of blade} = 5d = 5 \times 0.070389 = 0.4 \text{ m}$$



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Boiler Mountings

- Boiler mountings are the devices which is used for the safety purpose for a boiler. These devices are generally ~~the~~ indicates the condition of the boiler where as some of them will fail to save the boiler, called fail safe design. ✓
- These device prevents excessive pressure, (ii) excessive heating in the boiler and hence used to avoid the catastrophic failure of the boiler. ✓

- Eg:
- ① Pressure Gauge
 - ② Liquid Level Indicator
 - ③ feed check valve
 - ④ ~~water~~ fusible plug.
 - ⑤ stop valve

① Pressure Gauge

these are the Gauges, measure pressure reading and hence the excessive pressure can be seen and these pressure can be released to avoid the failure of tank. (ii) drum. ✓

② Liquid level Indicator :

that give the reading, how much liq. is present. It ensures ~~time~~ min^m liquid to avoid overheating of liquid due to this pressure may rise will be high & failure may take place. ✓

③ feed check valve :

these valves are use the check the feed of the fluid in the drum. proper feeding is required to avoid the failure of the boiler. ✓

5(d)

borewell depth $H = 25\text{m}$ ✓

No. of modules $N = 24$

Each module $9 \times 4 = 36$ [Monocrystalline silicon solar cell]

cell size = $125 \times 125 \text{ mm}^2$

$\eta_{\text{cell}} = 12\%$ ✓

overall eff $\eta_o = 50\%$

@ Noon $Q_s = 800 \text{ W/m}^2$

$S_w = 996 \text{ kg/m}^3$ ✓

Total Area of solar cell = cell size \times module \times N
 $= 0.125 \times 0.125 \times 36 \times 24$
 $= 13.5 \text{ m}^2$ ✓

Total energy incident on cell = 13.5×800
 $= 10800 \text{ W}$ ✓

Energy Generated by solar cell = $\eta_{\text{cell}} \times 10800$

$E_g = 0.12 \times 10800$ ✓ $= 1296 \text{ W}$

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over all eff $\eta_o = \frac{P_g Q_H}{E_g}$

$0.5 = \frac{998 \times 9.81 \times Q \times 25}{1296}$

$Q = 2.652 \times 10^{-3} \text{ m}^3/\text{sec} = 2.652 \text{ lit}/\text{sec}$ ✓

Q-5 (e)

Installed capacity = 2240 MW

No of units = 64 (35 MW/unit)

Head $H = 6.52m$

35 MW @ each Generator

Water power available

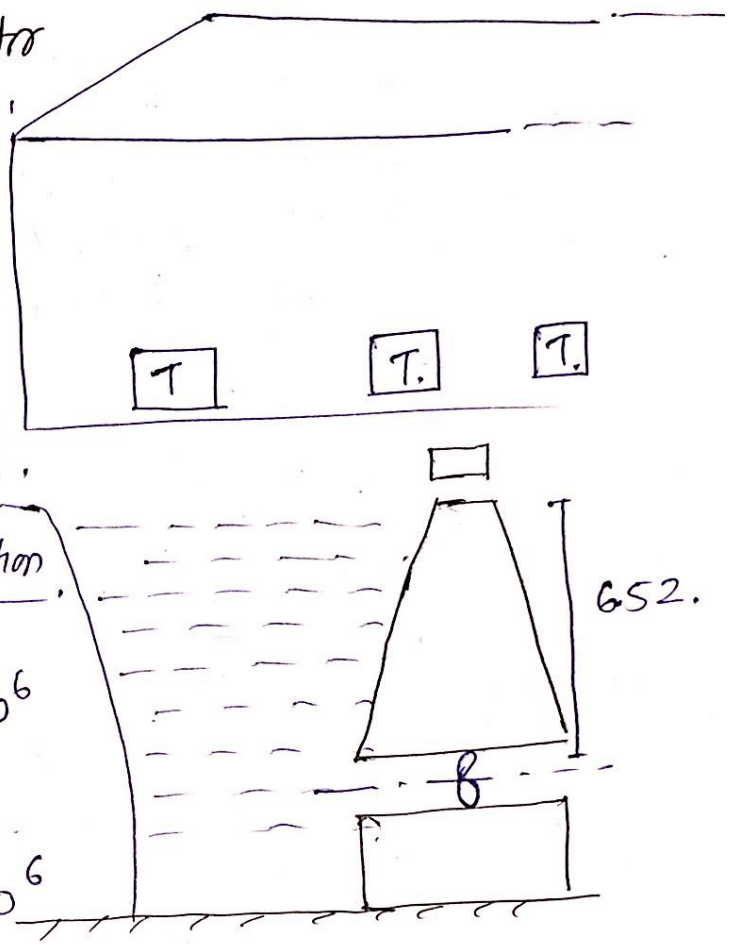
per Turbine = $\frac{35}{0.92}$

= 38.043 MW

applying energy conservation

$\frac{mgh}{5 \times 3600} = 38.043 \times 10^6$

$\frac{A \times h \times \rho \times g \times h / 2}{3600 \times 5} = 38.043 \times 10^6$



~~$\frac{1025 \times Q \times 9.81 \times 6.52}{3600 \times 5 \times 2} = 38.043 \times 10^6$~~

~~$\frac{9.81 \times 1025 \times 6.52^2 \times A}{2 \times 3600 \times 5} = 38.043 \times 10^6$~~

3

~~$A = 3203975.554 \text{ m}^2 \text{ /unit}$~~

~~$A \times h = Q \times 5 \times 3600$~~ $Q = 1160.55 \text{ m}^3/\text{s}$

Total Surface area = $3203975.554 \times 64 = 205.05 \text{ km}^2$
 Total energy produced = $2240 \times 10 \times 365 = 8176 \text{ TWhr}$

7a

overall pres. ratio = $r_p = 4$

$\eta_{is} = 0.85$

$T_{0,1} = 290K$

$\alpha = 10, \beta = 45$

$u = 220 \text{ m/s}$

$\phi_w = 0.06$

$T_{2'} = T_1 r_p^{\frac{\gamma-1}{\gamma}}$
 $= 290 \times (4)^{\frac{0.4}{1.4}}$

Assuming $\gamma = 1.4$

$T_{2'} = 430.9383K$

$\eta_{is} = \frac{T_{2'} - T_{0,1}}{T_2 - T_{0,1}} \Rightarrow 0.85 = \frac{430.9383 - 290}{T_2 - 290}$

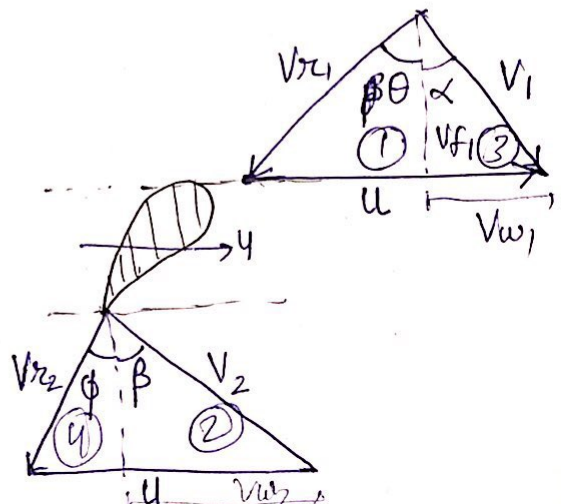
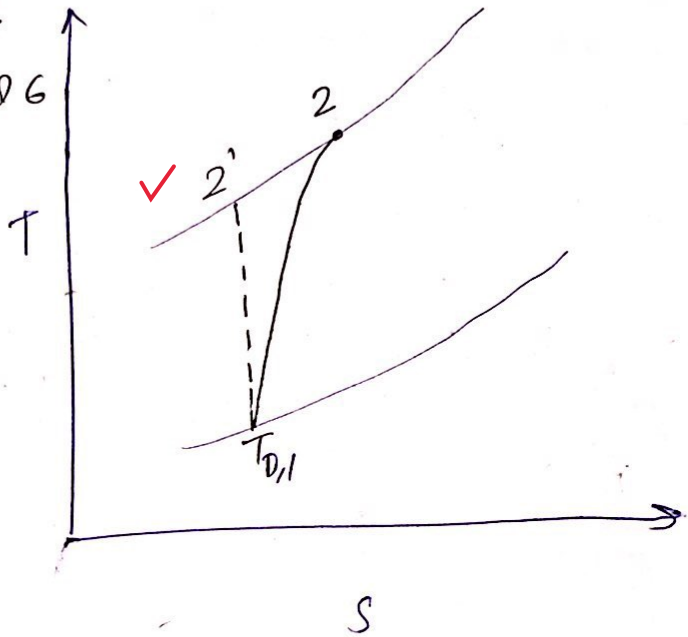
$T_{0,2} = 458.809K$

Assuming 50% Reaction stage

$\theta = \beta = 45$

$\phi = \alpha = 10^\circ$

$V_1 = V_{r2}, V_2 = V_{r1}$



$$C_p [T_{02} - T_{01}] = n \cdot \phi_w [V_{w2} - V_{w1}] u \quad \text{--- (1)}$$

$$\tan \alpha + \tan \theta = \frac{u}{V_{f1}}$$

$$\tan \theta + \tan 45 = \frac{220}{V_{f1}}$$

$$\underline{V_f = 187.022 \text{ m/s} = V_{f2}}$$

In Triangle (2)

$$\tan \alpha = \frac{V_{w1}}{V_{f1}} \quad V_{w1} = V_{f1} \tan \alpha$$

Similarly $V_{w2} = V_{f2} \tan \beta$

putting in eqⁿ (1)

$$C_p [T_{02} - T_{01}] = n \phi_w [V_f \tan \beta - V_f \tan \alpha] u$$

$$\frac{\gamma R}{\gamma - 1} [T_{02} - T_{01}] = n \phi_w [V_f (\tan \beta - \tan \alpha) u]$$

$$\frac{1.4 \times 284.6}{0.4} \times [450.809 - 290] = n \times 0.06 [187.022 \times 220 \times [\tan 45 - \tan \alpha]]$$

$$168150.645 = n \times 29145.31$$

$$n = 5.77 \approx \underline{6 \text{ stages}}$$

Polytropic eff :- $T_2 = T_1 \cdot r_p^{\frac{n-1}{n}}$

$$450.809 = 290 \times 4^{\frac{n-1}{n}}$$

$$\frac{n-1}{n} \ln 4 = \ln \left(\frac{450.809}{290} \right)$$

$$\frac{\bar{n}-1}{\bar{n}} = 0.33092$$

$$\underline{n = 1.4945}$$

Polytropic efficiency

$$\eta_p = \frac{\gamma-1}{\gamma} \cdot \frac{n}{n-1}$$

$$= \frac{1.4-1}{1.4} \cdot \frac{1.4945}{1.4945-1} = \underline{0.8635}$$

$$= \underline{86.35\%}$$

relative velocity @ inlet

$$\cos \theta = \frac{V_f}{V_{r1}}$$

$$\cos 45 = \frac{187.022}{V_{r1}}$$

$$\underline{V_{r1} = 264.49 \text{ m/s}}$$

$$V_1 = \frac{V_f}{\cos \theta}$$

$$= 189.9 \text{ m/s}$$

@ inlet

~~$$\frac{T_{01}}{T_1} = \dots$$~~

$$T_{01} = T_1 + \frac{V_1^2}{2 \times c_p}$$

$$290 = T_1 + \frac{189.9^2}{2 \times \frac{1.4 \times 204.6}{0.4}}$$

$$\underline{T_1 = 271.89}$$

20

$$C = \sqrt{\gamma R T} = 329.142$$

$$M_{r1} = \frac{V_{r1}}{C} = \frac{264.49}{329.142} = \underline{0.803}$$

7 (b)

for Mercury cycle

$$h_1 = 363 \text{ kJ/kg} \quad \checkmark$$

$$s_1 = s_2 \quad \checkmark$$

$$0.5167 = s_3 + x s_{fg}$$

$$0.5167 = 0.0967 + x(0.6385 - 0.0967)$$

$$x = 0.7752 \quad \checkmark$$

$$h_2 = h_3 + x \cdot h_{fg} = 38.35 + 0.7752 \times (336.55 - 38.55)$$

$$h_2 = 269.514 \text{ kJ/kg} \quad \checkmark$$

$$h_3 = 38.35 \text{ kJ/kg}$$

$$\text{pump work} = \int v dp = 77.4 \times 10^{-6} \times [10 - 0.2] \times 100 = 0.0750$$

$$h_4 = h_3 + w_p = \underline{38.425 \text{ kJ/kg}}$$

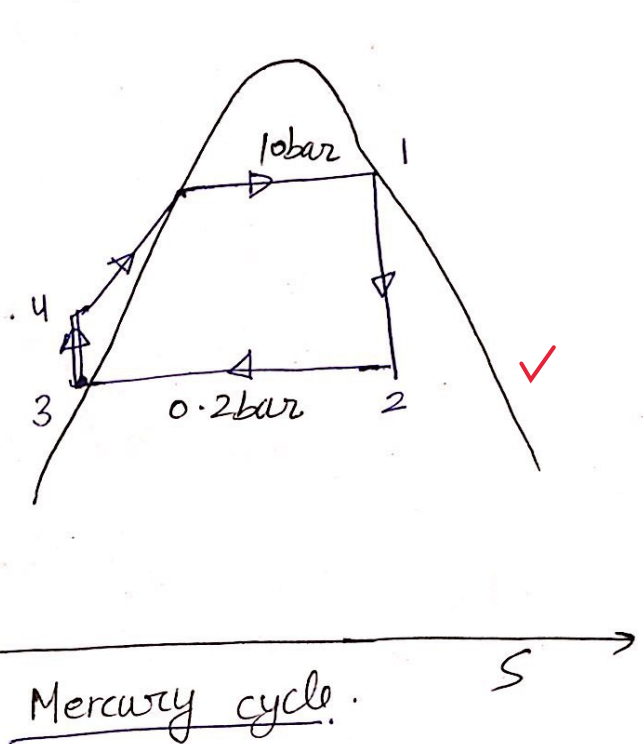
for steam cycle

$$h_1 = 3214.5 \text{ kJ/kg}$$

$$h_5 = 1087.4 \text{ kJ/kg}$$

$$h_6 = 2800.8 \text{ kJ/kg} \quad \checkmark$$

$$h_3 = 167.53 \text{ kJ/kg}$$



$$S_1 = S_2$$

$$6.7714 = 0.5724 + x \cdot 7.6032$$

$$x = 0.8060$$

$$h_2 = h_3 + x \cdot h_{fg}$$

$$= 167.53 + 0.8060 \times 2406$$

$$= 2108.99 \text{ kJ/kg}$$

$$W_p = 0.001000 \times [4000 - 7.3051]$$

$$= 4.024 \text{ kJ/kg}$$

$$h_4 = h_3 + W_p = 171.554 \text{ kJ/kg}$$

* Assuming mass flow rate of water = 1 kg/s

$$\text{Heat rejected by Hg cycle} = \text{Heat gained by steam cycle}$$

$$[m_{Hg} [h_2 - h_3]]_{Hg} = [1 \times [h_6 - h_5]]_{\text{steam}}$$

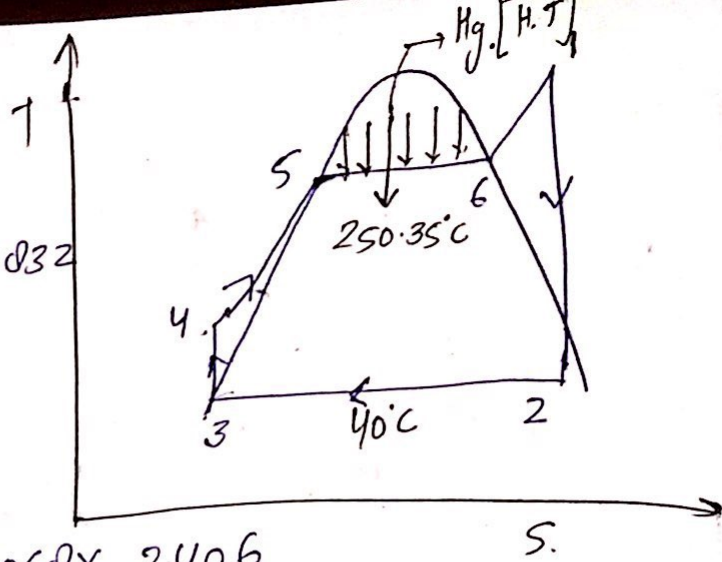
$$m_{Hg} [269.514 - 38.35] = [2800.0 - 1087.4]$$

$$m_{Hg} = 7.412 \text{ kg/kg of steam} \quad \underline{\underline{\text{Ans}}}$$

Work O/P of Hg cycle

$$(W)_{Hg} = W_T - W_p$$

$$= m_{Hg} [h_1 - h_2] - W_p$$



$$= 7.412 [(363 - 269.514) - 0.0758]$$

$$= 692.356 \text{ KJ/kg of steam}$$

Heat supplied @ \checkmark 100 Hg cycle.

$$Q_s = m [h_1 - h_4] = 7.412 \times [363 - 38.425]$$

$$= \underline{2405.75 \text{ KJ/kg}}$$

work O/P for steam cycle

$$\checkmark \text{ (WD)}_{\text{steam}} = [h_1 - h_2] - \checkmark \text{ WP}$$

$$\checkmark = 3214.5 - 2108.99 - 4.024$$

$$= 1101.486 \text{ KJ/kg}$$

heat supplied to steam cycle

$$Q_s = [h_5 - h_4] + [h_1 - h_6]$$

$$= (1087.4 - 171.554) + (3214.5 - 2800.8)$$

$$= 1329.546 \text{ KJ/kg}$$

$$\checkmark \text{ efficiency } \eta = \frac{\checkmark \sum \text{WD}}{\checkmark \text{ Heat supplied}} = \frac{692.356 + 1101.486}{2405.75 + 1329.546}$$

$$= 0.4802$$

$$\checkmark = \underline{48.02\%}$$

Q-7C Delhi (28.62°N, 77.21°E)

$$n = 187 \quad \checkmark$$

$$L_a = 6 \text{ hours}$$

$$\frac{H_g}{H_0} = a + b \frac{L_a}{L_m} \quad \checkmark \begin{matrix} a = 0.25 \\ b = 0.57 \end{matrix}$$

~~$\phi = 28.62$~~

$$\phi = 28.62^\circ$$

$$\begin{aligned} \text{declination} \\ \delta &= 23.45 \sin \left[\frac{360}{365} (284+n) \right] \\ &= 23.45 \sin \left[\frac{360}{365} (284+187) \right] \\ &= \underline{22.698^\circ} \quad \checkmark \end{aligned}$$

$$\begin{aligned} \omega_s &= \cos^{-1} \left[-\tan \phi \tan \delta \right] \\ &= \cos^{-1} \left[-\tan (28.62) \tan (22.698) \right] \\ &= 103.1932 \quad \checkmark \end{aligned}$$

$$\begin{aligned} \text{mean day length} &= \frac{2\omega_s}{15} = \frac{2 \times 103.1932}{15} \quad \checkmark \\ &= \underline{13.759 \text{ hours}} \end{aligned}$$

$$\begin{aligned} H_0 &= \int_{t_{SR}}^{t_{SS}} I_n \cos \theta_i \, dt \quad \checkmark \\ &= \int_{t_{SR}}^{t_{SS}} I_{sc} \left[1 + 0.033 \cos \left(\frac{360}{365} n \right) \right] \left[\cos \phi \cos \delta \cos \omega + \sin \phi \sin \delta \right] dt \end{aligned}$$

$$I \text{ hour} \quad \text{---} \quad 15^\circ$$

$$dt \quad \text{---} \quad \frac{12}{\pi} d\omega$$

$$H_0 = \frac{24}{\pi} I_n \int_0^{\omega_s} [\cos\phi \cos\delta \cos\omega + \sin\phi \sin\delta] d\omega$$

$$= \frac{24}{\pi} I_n \left[\cos\phi \cos\delta \sin\omega + \omega \sin\phi \sin\delta \right]$$

$$= \frac{24}{\pi} \times 3.6 \left[1367 \left(1 + 0.033 \cos \left(\frac{360}{365} \times 187 \right) \right) \right] \times$$

$$H_0 = 36358.277 \left[1.1213 \right]$$

$$= 40768.536 \frac{\text{KJ}}{\text{m}^2 \cdot \text{day}}$$

No using modified Angstrom Eqⁿ

$$\frac{H_g}{H_0} = a + b \frac{L_a}{L_m}$$

$$\frac{H_g}{40768.536} = 0.25 + 0.57 \times \frac{6}{13.759}$$

$$H_g = 20325.747 \frac{\text{KJ}}{\text{m}^2 \cdot \text{day}}$$

for diffuse radiation

$$\frac{H_d}{H_g} = 1.354 - 1.57 \left[\frac{H_g}{H_0} \right]$$

$$\frac{H_d}{20325.747} = 1.354 - 1.57 \left[\frac{20325.747}{40768.536} \right]$$

$$\textcircled{H_d = 11611.157 \frac{\text{KJ}}{\text{m}^2 \text{day}}} \quad \underline{\text{Ans}}$$

$$H_g = H_b + H_d$$

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good

$$20325.747 = 11611.157 + H_b$$

$$\textcircled{H_b = 8714.59 \frac{\text{KJ}}{\text{m}^2 \text{day}}} \quad \underline{\text{Ans}}$$